# Random Frequency Function Generation

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The desired signature characteristics of		or for use on a long-range				
acoustic propagation experiment are defin						
posed, consisting of slowly varying frequen						
pseudo-randomly distributed. The power spectral density and other significant properties of						
the frequency function are derived and displayed in both tabular and graphical form. A						
method is presented of implementing the random frequency function generator which uses a						
digital programmable read-only memory as its central element. The function generator is (Continued)						

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20. Abstract (cont.)
simple and reliable in concept and circuit, and should find application in a variety of under-
water acoustic experiments.

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## RANDOM FREQUENCY FUNCTION GENERATION

#### INTRODUCTION

As a part of a long-range acoustic propagation correlation experiment, it was necessary to generate a random frequency function to control each source generator as it projects a sinusoidal pressure pattern into the transmission medium. The desired characteristics of the source signal are listed as follows.

- 1. Essentially a constant-amplitude sinusoidal signal whose instantaneous frequency is slowly undulating about some center frequency in a pseudo-random fashion
- 2. The maximum peak-to-peak excursion of the instantaneous frequency variations will be a small fraction of the center frequency, and can be preset before each test run.
- 3. The random frequency undulations are to include a long-term, (relatively) high-amplitude, undulation whose mean period is greater than about 100 s. Superimposed on the long-term undulations will be shorter term frequency undulations whose amplitudes are but a fraction of the peak-to-peak longer term undulations. The minimum period of the shorter term undulations is 5 s.
- 4. The pseudorandom frequency pattern may be periodic with a period no less than the longest contemplated correlation integration time (viz 640 s). Thus, for statistical samples of the source signal over a time span equal to or less than the cyclic period (640 s), the instantaneous frequency variations of the source may be considered as slowly varying in a pseudorandom fashion about some center frequency.

This report describes the pseudorandom frequency function which will be employed in a long range acoustic propagation correlation experiment. Within the report the synthesized function is presented in tabulated as well as in graphical form. The power spectrum and other significant properties of the frequency function have been computed and tabulated. Finally, a convenient and effective method of implementing the frequency function is described in some detail.

## PROGRAMMABLE FREQUENCY FUNCTION

The proposed frequency function for the source projectors consists of a slowly varying undulation whose average period is about 107 s long. Sumperimposed on this long period undulation will be shorter period undulations of lesser magnitude.

Note: Manuscript submitted November 13, 1973.

For convenience, the frequency function is programmable into discrete time periods and amplitude levels. The incremental time period is set at 2.5 s, and the peak-to-peak frequency excursion is divided into 14 steps or 15 discrete levels (plus and minus 7 steps about the mean or center frequency).

The proposed frequency function is presented in Table 1. The table sets forth the sequence of the 15 discrete frequency levels over 256 discrete 2.5-s time increments. The function will repeat after the 256 time increments (10 min, 40 s). Designed in this manner, the frequency function is compatible for digital logic implementation.

Table 1
Proposed Pseudorandom Frequency Function

•											
_		$f = f_c + nB/14$ (Table give values of $n$ )									
Seconds Minutes	0	1	2	3	4	5	6	7	8	9	10
0	0	0	1	0	2	-5	5	-5	0	-3	-2
2.5	2	-1	-1	1	4	-4	4	-3	1	-2	-5
5.0	1	-3	2	0	3	-5	6	-1	0	-1	-6
7.5	2	-1	1	-2	4	-7	4	-2	-1	0	-7
10.0	1	-4	3	-1	6	-6	3	-1	-2	1	-6
12.5	3	-3	1	-3	3	-7	2	1	-1	0	-5
15.0	4	-5	3	-4	5	-5	4	0	-2	2	-6
17.5	3	-3	5	-3	7	-3	2	1	0	4	-7
20.0	6	-4	6	-5	6	-2	1	-2	-2	3	-6
22.5	5	-6	5	-6	7	-1	2	1	-1	5	-3
25.0	7	-7	7	-5	5	-3	0	2	-3	6	-4
27.5	5	-6	6	-7	4	-2	1	3	-5	7	-2
30.0	6	-5	5	-6	3	0	-1	5	-4	6	-1
32.5	4	-7	7	-5	5	2	0	3	-6	5	-3
35.0	5	-6	6	-4	3	1	-3	5	-5	4	0
37.5	3	-5	7	-5	4	3	-2	7	-7	5	-1
40.0	4	-4	5	-3	2	4	-4	6	-6	2	0
42.5	2	-5	3	-2	1	5	-2	4	-7	1	2
45.0	3	-3	4	-4	2	3	-3	6	-5	2	1
47.5	1	-2	2	-2	-1	5	-5	5	-4	0	2
50.0	2	-3	1	0	-2	6	-4	4	-6	-2	1
52.5	0	-1	2	1	-4	5	-7	3	-4	0	3
55.0	-1	-2	1	-1	-3	7	-6	4	-3	-3	4
57.5	-2	0	-1	1	-4	6	-4	2	-1	-4	3
60.0	0	1	0	2	-5	5	-5	0	-3	-2	6

A graphical plot of the proposed frequency function is illustrated in Fig. 1. The instantaneous frequency is shown as changing levels in a linear (rather than a stepped) manner. This is probably a more realistic expectation, since the source will not be able to change frequency instantaneously. (In addition, some form of transitional smoothing of the function is intended to be incorporated into the physical implementation of the frequency function generator.) In the illustration, the full period of 640 s is shown split into two 320-s sections for convenience of illustration. The function will repeat after the end of the last time increment.

A second time scale is provided below the function graph in Fig. 1 to illustrate the relation of the seven integration times (10 s, 20 s, etc., to 640 s) to the excursions of the frequency function. In the figure, note that an integration (or sample) time in excess of 80 s will be required (in general) to achieve a representative sample of the source signal statistics. Thus, for the shorter integration times, the information bandwidth of the resulting signal will be less than that achieved for the longer integration times.

## SOURCE SIGNAL POWER SPECTRUM

The precise power spectrum for the source signal whose instantaneous frequency is illustrated in Fig. 1 would be quite cumbersome to compute. However, for an essentially sinusoidal signal whose frequency varies slowly with time, a reasonable approximation to the normalized signal power spectrum can be achieved by simply computing the amplitude probability density of the instantaneous frequency function. This procedure should prove adequate for the intended purpose of the frequency function.

Using the suggested approach, we can approximate the power spectral histogram for the proposed frequency function (Fig. 1) as:

$$P_{N}(f_{i}) = \frac{1}{\Delta BT} \sum_{j} \Delta t_{ij} = \frac{N_{B}}{B} \frac{\Delta T}{T} \sum_{j} \frac{1}{\Delta n_{ij}}$$

$$= \frac{N_{B}}{N_{T}B} \sum_{j} \frac{1}{\Delta n_{ij}}$$

$$(1)$$

where

 $P_N(f_i)$  is the normalized power spectral density in the *i*th frequency band  $\Delta B = B/N_B$  is the peak-to-peak instantaneous frequency excursion

T = 640 s, the basic period of the pseudorandom sequence

 $N_B$  = 14, the total number of frequency steps over the bandwidth extremes B

 $N_T^-$  = 256, the total number of time increments over the total time period T = 640 s

 $\Delta \bar{B} = B/N_B$ ; B/14 is the basic frequency increment

 $\Delta T = T/256$ ; 2.5 s is the basic time increment

 $\Delta t_{ij}$  is the incremental time that the frequency function spends in the *i*th frequency band for a given *j*th frequency slide over  $\Delta T$  time

 $\Delta n_{ij}$  is the number of  $\Delta B$  steps of the frequency function in sliding through the *i*th  $\Delta B$  band in a given *j*th frequency slide over  $\Delta T$  time.

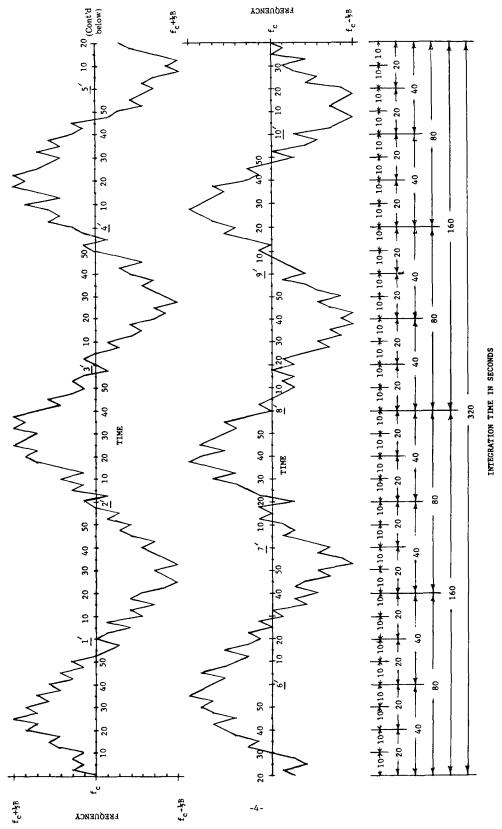


Fig. 1-Source frequency function

The signal power in each frequency band  $\Delta B$  is, therefore,

$$\Delta BP_N(f_i) = \frac{1}{N_T} \sum_j \frac{1}{\Delta n_{ij}}.$$
 (2)

It should be evident that

$$\Delta B \sum_{i} P_{N}(f_{i}) = \frac{1}{N_{T}} \sum_{i} \sum_{j} \frac{1}{\Delta n_{ij}} = 1,$$

or

$$\sum_{i} \sum_{j} \frac{1}{\Delta n_{ij}} = N_T = 256 , \qquad (3)$$

and

$$\sum_{i} \sum_{j} \Delta t_{ij} = T = 640 \text{ s.}$$
 (4)

The power spectral histogram for the proposed frequency function (Fig. 1) was computed, using the above relations, and the results are in Table 2. Figure 2 is a graphical representation of the histogram. The figure also depicts a line spectrum for the signal power computed on the basis of purely frequency-shift keying of the source generator (in lieu of the linear frequency translations shown in Fig. 1). In practice, the achievement of a near line spectra will be realized only when  $\Delta B \Delta T$  is much greater than unity. This is not anticipated in the subject application, so that Fig. 2a more nearly represents the power spectral density of the proposed source signal. Even here, Fig. 2a, the actual power spectral density can be expected to be a somewhat smoothed and slightly spread rendition of the stepped histogram representation. The calculations and curve, however, do illustrate that the power spectral density of the proposed source function will be reasonably well distributed over the bandwidth B, centered at  $f_c$ .

### INFORMATION BANDWIDTH OF THE PROPOSED SOURCE FUNCTION

The information bandwidth of the proposed source function can be computed from the relation\*

<sup>\*</sup>A. A. Gerlach, Theory and Applications of Statistical Wave-Period Processing, Gordon and Breach, Science Publishers Inc., New York, 1970, 1:229-241.

Table 2
Spectral Power of Proposed Source Function

Bin (i)	$\begin{array}{c} \text{Power} \\ \Delta BP_N(f_i) \end{array}$	$(\text{Power})^2 \\ [\Delta BP_N(f_i)]^2$	$\begin{array}{c} \text{Moment} \\ i\Delta BP_n(f_i) \end{array}$
6 to 7	0.0527	0.00278	0.3426
5 to 6	0.0749	0.00561	0.4120
4 to 5	0.0664	0.00441	0.2988
3 to 4	0.0938	0.00880	0.3283
2 to 3	0.0404	0.00163	0.1010
1 to 2	0.0944	0.00891	0.1416
0 to 1	0.0736	0.00542	0.0368
-1 to 0	0.0697	0.00486	-0.0349
-2 to -1	0.0957	0.00916	-0.1436
-3 to -2	0.0710	0.00504	-0.1775
-4 to -3	0.0703	0.00494	-0.2461
-5 to -4	0.0742	0.00551	-0.3339
-6 to -5	0.0592	0.00350	-0.3256
-7 to -6	0.0638	0.00407	-0.4147
14	1.0000	0.07462	-0.0152

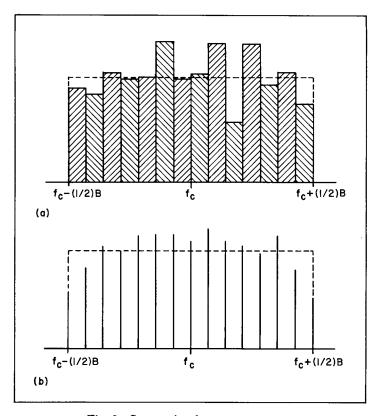


Fig. 2—Source signal power spectrum

$$B_{I} = \frac{\left[\int_{0}^{\infty} P_{N}(f)df\right]^{2}}{\int_{0}^{\infty} P_{N}^{2}(f)df} \approx \frac{\left[\Delta B \sum_{i} P_{N}(f_{i})\right]^{2}}{\Delta B \sum_{i} P_{N}^{2}(f_{i})}$$

$$= \frac{\Delta B}{\sum_{i} \left[ \Delta B P_{N}(f_{i}) \right]^{2}} = \frac{B}{N_{B} \sum_{i} \left[ \Delta B P_{N}(f_{i}) \right]^{2}}.$$
 (5)

Using the data in Table 2, one may readily compute the information bandwidth as

$$B_I = B/14(0.07462) = 0.957B.$$
 (6)

This will be the expected information bandpass to be used for the longer integration times where sufficient samples of the source function are taken to obtain a gross sample representative of the source statistics. Note, by examining Fig. 1, that the relation given in eq. (6) will not be applicable for the shorter integration times where the source function is not sufficiently sampled to obtain a representative gross sample of the source statistics. It should also be evident that the information bandwidth will be variable for integration times less than the full cycle period of 640 s. The degree of variability will be dependent on both the integration time and the location of the integration interval relative to the source function.

Using the pattern depicted in Fig. 1, a table of data was compiled of the expected information bandwidth, and the range of variability of this measure, for the seven integration times under consideration. These data are given in Table 3 for convenient reference.

The data in Table 3 illustrate that the long-term information bandwidth is not achieved until the data sample size (integration time) exceeds about 100 s. This is a result of the long-term frequency undulation (instability) illustrated in Fig. 1.

Finally, Table 4 illustrates the mean or expected information bandwidth as a function of the integration times for various selections of the peak-to-peak frequency deviation B.

## INFORMATION CONTENT CONSIDERATIONS

An important output from the long-range acoustic propagation correlation experiment will be the measure of time register (or time delay) between the signal received at two spatially separated sensors. This measure will be achieved by cross-correlating the signals from the two sensors over the indicated integration times. Note, from Fig. 1 and Table 4, that the time register resolution will be negligible for the shorter integration times when the information bandwidth (B in Table 4) is small.

Table 3
Information Bandwidth Statistics

		$B_{I}$	$J_n/B_I$ (See Note)	
n	$T_n$ (S)	Range	Mean	Standard Deviation σ
1	10	0.10 to 0.46	0.22	0.07
$\frac{1}{2}$	20	0.10 to 0.46 0.15 to 0.55	ţ.	0.07
			0.34	0.09
3	40	0.35 to 0.75	0.54	0.11
4	80	0.65 to 1.00	0.85	0.11
5	160	0.90 to 1.00	0.97	0.03
6	320	0.97 to 1.00	0.99	0.01
7	640	_	1.00	0

Note:  $B_{In}$  will never be less than  $1.5/T_n$  (see A. A. Gerlach, op. cit; Vol. 1, Chap. 3, p. 86, Eq. (3.7.1-12)).

Table 4 Information Bandwidth  $B_{In}$  as a Function of B and  $T_n$ 

$T_n$		Peak-to-	Peak Bandwidth	, <i>B</i> (Hz)	
(S)	0.125	0.250	0.500	1.000	2.000
10	0.150	0.150	0.150	0.211	0.422
20	0.075	0.082	0.163	0.326	0.653
40	0.065	0.130	0.259	0.518	1.037
80	0.102	0.204	0.408	0.816	1.632
160	0.116	0.233	0.466	0.931	1.862
320	0.119	0.238	0.475	0.950	1.901
640	0.120	0.240	0.480	0.960	1.920

Since the time scale-factor between the relevant signals will also be a variable, any narrow-bandwidth signal centered at one frequency can be made to match (or overlay) an equally narrow-bandwidth signal centered at a second frequency. Under these circumstances, the envelope covariance coefficient will always be significant for temporal intervals of the signal whose total information content (information-bandwidth, integration-time product) is low. The expected correlation coefficient under these circumstances will approximate

$$\alpha(B_{In}T_n) \approx \frac{\sin \frac{\pi B_{In}T_n}{2}}{\frac{\pi B_{In}T_n}{2}}.$$
 (7)

The above relation represents the expected degradation in the envelope covariance coefficient for two uncorrelated narrow-band signals relative to fully coherent signals, when the time-scale factor between the two signals is optimized. As a consequence, the importance of achieving a reasonably large value for the information-bandwidth, integration-time product should be evident. To achieve a significant measure of time register it will be necessary that

$$2 \leqslant B_{In}T_n . (8)$$

4

For information-bandwidth, integration-time products less than about two, there is little hope of achieving a resolvable measure of time register.

Using the data in Table 4, the resulting information content was computed and is displayed in Table 5. From the table, note that the usefulness of the covariance coefficient will be negligible for values of B and  $T_n$  above the broad demarcation line. The

Table 5 Information Content  $B_{In}T_n$  as a Function of B and  $T_n$ 

$T_n$	Peak-to-Peak Bandwidth, B(Hz)							
(S)	0.125	0.250	0.500	1.000	2.000			
10	1.50	1.50	1.50	2.11	4.22			
20	1.50	1.64	3.26	6.52	13.06			
40	2.60	5.20	10.36	20.72	41.48			
80	8.16	16.32	32.64	65.28	130.6			
160	18.56	37.28	74.56	149.0	297.9			
320	38.08	76.16	152.0	304.0	608.3			
640	76.80	153.6	307.2	614.4	1229.0			

table demonstrates the necessity for long integration times when the relevant signal information bandwidth is small. A further advantage of the larger information content signals is their ability to be detected and discriminated in an otherwise incoherent background signal environment. The resulting correlated signal enhancement (expressed in decibels) will be directly proportional to 10 times the logarithm of the signal information content.

# IMPLEMENTATION OF THE RANDOM FREQUENCY FUNCTION GENERATOR

Since it will be necessary to devise some physical implementation of the proposed random frequency function (illustrated in Fig. 1) to control the source projector, it will

be desirable that this implementation be as simple and reliable as possible. Of course, this implementation will need to be compatible with the Mk VI mechanical acoustic projectors contemplated for use in the long-range acoustic propagation correlation experiment.

Basically, the Mk VI projector is a mechanical piston oscillator whose frequency is determined by the rotational speed of a dc electric motor. The speed of the electric motor is, in turn, proportional to a dc control voltage. Thus, the projector is a form of voltage-controlled oscillator whose frequency may be varied by modulating the control voltage to the drive motor.

From the above description, it can be seen that the relevant frequency function can be realized by causing the motor control voltage to be varied in the manner defined by the data from Table 1 and Fig. 1. For the sake of simplicity and reliability, it will be desirable to incrementally change the control voltage level in a programmable digital manner. In this way, the precision and repeatability of the frequency function can be assured. The conversion from digital to analog output, for application to the Mk VI control system, may readily be accomplished using modular D/A converter electronics. This is the approach taken in the implementation scheme to be discussed.

The central control element in the proposed programmable frequency function generator is the P/ROM or Programmable, Read-Only Memory.\* This microcircuit element consists of an input binary address and an output data word which may be fixed, or "burned-into," the memory for each input address. The process of fixing or "burning-in" the data word is accomplished only once (in a preprogramming operation). After this, the P/ROM acts simply as a read-only memory, with the data words in memory repeating for the same addresses. Thus, by incrementing the input address through its entire sequence, the corresponding output may be made to follow any given pattern, such as the one shown in Table 1. For the subject application, a P/ROM with an 8-bit input address and a 4-bit output word is required. The programmed relation between the output word and the input address is listed in Table 6.

The proposed method of utilizing the P/ROM concept in the frequency function generator is illustrated in Fig. 3. The basic elements of the Mark VI control electronics are illustrated in the top part of the diagram, while the variable frequency function control is shown in the lower portion of the diagram. The diagram depicts convenient operational and calibration controls.

Basically, the frequency control voltage is the sum of the two voltages coming from the SET CENTER FREQ. potentiometer and the output of the frequency Function Generator, through the SW-1 (COMEX-FINEX) switch at the top of the diagram. The tachometer feedback voltage is used to null-balance the control voltage for purposes of achieving a highly stable output frequency for any control voltage setting. The variable portion of the control voltage is achieved at the output of the D/A converter. This output reflects the D/A conversion of the digital P/ROM output word as the 8-BIT address register is sequenced through its 256-bit address via the clock generator. The level of the D/A converter output can be set, through SW-4, to reflect the five peak-to-peak frequency shifts B given in Table 4. The digitally stepped output, at this point, is also smoothed through the operational amplifier integrator circuit before combining with the other control voltages in the Mk VI Electronic Control portion of the circuit.

<sup>\*</sup>The basic idea of using the P/ROM in the subject application was contributed by Mr. Caldwell McCoy, Jr. of NRL.

Table 6 P/ROM Coding Table

	ADDRESS	WORD			ADDRESS	WORD	
000	00000000	0 0 0	0	032	00100000	-100	-4
001	00000001	+010	2	033	00100001	-110	-6
002	00000010	+001	1	034	00100010	-111	-7
003	00000011	+010	2	035	00100011	-110	-6
004	00000100	+001	1	036	00100100	-101	-5
005	00000101	+ 0 1 1	3	037	00100101	-111	-7
006	00000110	+100	4	038	00100110	-110	-6
007	00000111	+011	3	039	00100111	-101	-5
008	00001000	+110	6	040	00101000	-100	-4
009	00001001	+101	5	041	00101001	-101	-5
010	00001010	+111	7	042	00101010	-011	-3
011	00001011	+101	5	043	00101011	-010	-2
012	00001100	+110	6	044	00101100	-011	-3
013	00001101	+100	4	045	0 0 1 0 1 1 0 1	-001	-1
014	00001110	+101	5	046	0 0 1 0 1 1 1 0	-010	-2
015	00001111	+011	3	047	00101111	000	0
016	00010000	+100	4	048	00110000	+001	1
017	00010001	+010	2	049	00110001	-001	-1
018	00010010	+011	3	050	00110010	+010	2
019	00010011	+001	1	051	00110011	+001	1
020	00010100	+010	2	052	00110100	+011	3
021	00010101	000	0	053	00110101	+001	1
022	00010110	-001	-1	054	00110,110	+011	3
023	00010111	-010	-2	055	00110111	+101	5
024	00011000	000	0	056	00111000	+110	6
025	00011001	-001	-1	057	00111001	+101	5
026	00011010	-011	-3	058	00111010	+111	7
027	00011011	-001	-1	059	00111011	+110	6
028	00011100	-100	-4	060	00111100	+101	5
029	00011101	-011	-3	061	00111101	+111	7
030	00011110	-101	-5	062	00111110	+110	6
031	00011111	-011	-3	063	00111111	+111	7

(table continues)

Table 6
P/ROM Coding Table (Continued)

	ADDRESS	WORD			ADDRESS	WORD	
064	01000000	+ 1 0 1	5	096	01100000	+010	2
065	01000001	+011	3	097	01100001	+100	4
066	01000010	+ 1 0 0	4	098	01100010	+011	3
067	01000011	+010	2	099	01100011	+100	4
068	01000100	+001	1	100	01100100	+110	6
069	01000101	+010	2	101	01100101	+011	3
070	01000110	+001	1	102	01100110	+101	5
071	01000111	-001	-1	103	01100111	+111	7
072	01001000	000	0	104	01101000	+110	6
073	01001001	+001	1	105	01101001	+111	7
074	01001010	000	0	106	01101010	+101	5
075	01001011	-010	-2	107	01101011	+100	4
076	01001100	-001	-1	108	01101100	+011	3
077	01001101	- 0 1 1	-3	109	01101101	+101	5
078	01001110	- 1 0 0	-4	110	01101110	+011	3
079	01001111	-011	-3	111	01101111	+100	4
080	01010000	-101	-5	112	01110000	+010	2
081	01010001	-110	-6	113	01110001	+001	1
082	01010010	-101	<b>-</b> 5	114	01110010	+010	2
083	01010011	-111	-7	115	01110011	-001	-1
084	01010100	- 1 1 0	-6	116	01110100	-010	-2
085	01010101	-101	<b>-</b> 5	117	01110101	-100	-4
086	01010110	-100	-4	. 118	01110110	-011	-3
087	01010111	-101	<b>-</b> 5	119	01110111	-100	-4
088	01011000	-011	-3	120	01111000	-101	-5
089	01011001	-010	-2	121	01111001	-100	-4
090	01011010	-100	-4	122	01111010	-101	-5
091	01011011		-2	123	01111011	i	-7
092	01011100	000	0	124	01111100	-110	-6
093	01011101	+001	1	125	01111101	-111	-7
094	01011110	-001	-1	126	01111110	-101	-5
095	01011111	+001	1	127	01111111	-011	-3

(table continues)

Table 6
P/ROM Coding Table (Continued)

	ADDRESS	WORD				ADDRESS	WORD	
128	10000000	-010	-2		160	10100000	-100	-4
129	10000001	-001	-1		161	10100001	-010	-2
130	10000010	-011	-3		162	10100010	-011	-3
131	10000011	-010	-2		163	10100011	-101	-5
132	10000100	000	0		164	10100100	-100	-4
133	10000101	+ 0 1, 0	2		165	10100101	-111	-7
134	10000110	+001	1		166	10100110	-110	-6
135	10000111	+011	3		167	10100111	-100	-4
136	10001000	+100	4		168	10101000	- 1 0 1	-5
137	10001001	+101	5		169	10101001	-011	-3
138	10001010	+011	3		170	10101010	-001	-1
139	10001011	+101	5		171	10101011	-010	-2
140	10001100	+110	6		172	10101100	-001	-1
141	10001101	+101	5		173	10101101	+001	1
142	10001110	+111	7		174	10101110	000	0
143	10001111	+110	6		175	10101111	+001	1
144	10010000	+101	5		176	10110000	-010	-2
145	10010001	+100	4		177	10110001	+001	1
146	10010010	+110	6		178	10110010	+010	2
147	10010011	+100	4		179	10110011	+011	3
148	10010100	+011	3		180	10110100	+101	5
149	10010101	+010	2		181	10110101	+011	3
150	10010110	+100	4		182	10110110	+ 1 0 1	5
151	10010111	+010	2		183	10110111	+111	7
152	10011000	+001	1		184	10111000	+ 1 1 0	6
153	10011001	+010	2		185	10111001	+ 1 0 0	4
154	10011010	000	0		186	10111010	+110	6
155	10011011	+001	1		187	10111011	+101	5
156	10011100	-001	-1	Ī	188	10111100	+100	4
157	10011101	000	0		189	10111101	+011	3
158	10011110	-011	-3		190	10111110	+100	4
159	10011111	-010	-2		191	10111111	+010	2

(table continues)

Table 6
P/ROM Coding Table (Continued)

	ADDRESS	WORD
192	11000000	000 0
193	11000001	+001 1
194	11000010	000 0
195	11000011	-001 -1
196	11000100	- 0 1 0   -2
197	11000101	-001 -1
198	11000110	-010 -2
199	11000111	000 0
200	11001000	- 0 1 0   -2
201	11001001	-001 -1
202	11001010	- 0 1 1   -3
203	11001011	- 1 0 1   -5
204	11001100	- 1 0 0   -4
205	11001101	- 1 1 0   -6
206	11001110	- 1 0 1   -5
207	11001111	- 1 1 1   -7
208	11010000	- 1 1 0   -6
209	11010001	-111 -7
210	11010010	- 1 0 1   -5
211	11010011	- 1 0 0   -4
212	11010100	- 1 1 0   -6
213	11010101	- 1 0 0   -4
214	11010110	- 0 1 1   -3
215	11010111	-001 -1
216	11011000	- 0 1 1   -3
217	11011001	- 0 1 0   -2
218	11011010	-001 -1
219	11011011	000 0
220	11011100	+001 1
221	11011101	000 0
222	11011110	+010 2
223	11011111	+100 4

	ADDRESS	WORD
224	11100000	+011 3
225	11100001	+101 5
226	11100010	+110 6
227	11100011	+111 7
228	11100100	+110 6
229	11100101	+101 5
230	11100110	+100 4
231	11100111	+101 5
232	11101000	+010 2
233	11101001	+001 1
234	11101010	+010 2
235	11101011	000 0
236	11101100	-010 -2
237	11101101	000 0
238	11101110	- 0 1 1   -3
239	11101111	- 1 0 0   -4
240	11110000	- 0 1 0   -2
241	11110001	- 1 0 1   -5
242	11110010	- 1 1 0   -6
243	11110011	- 1 1 1   -7
244	11110100	- 1 1 0   -6
245	11110101	- 1 0 1 -5
246	11110110	- 1 1 0   -6
247	11110111	- 1 1 1   -7
248	11111000	- 1 1 0   -6
249	11111001	- 0 1 1   -3
250	11111010	- 1 0 0   -4
251	11111011	-010 -2
252	11111100	-001 -1
253	11111101	- 0 1 1   -3
254	11111110	000 0
255	11111111	- 0 0 1 -1

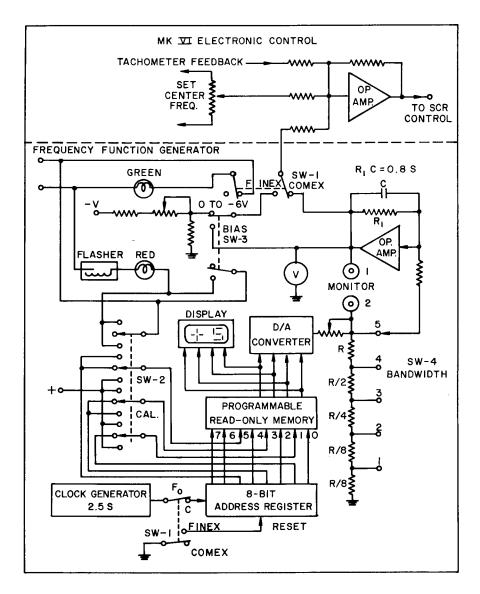


Fig. 3—Frequency function generator

Prior to COMEX and after FINEX of a test run (when the COMEX-FINEX switch, SW-1, is in the FINEX position), the control voltage from the Frequency Function Generator, is connected to a negative bias voltage to offset the center frequency to a position outside of the normal bandwidth range. In this way, convenient COMEX and FINEX indications may be achieved without turning off the Mk VI projector. Also, in the FINEX position of SW-1, the clock generator is disengaged and the address register is reset to zero.

The proposed circuit includes a calibrate switch, SW-2. This switch sets the P/ROM address to values which give the peak-to-peak output words (±7) for convenience in pretest calibrations. Switch SW-3 may be employed to remove the bias voltage and include the Mk VI projector in the case of full calibration. Trim potentiometers are included for use in the calibration.

Additional features of the programmable frequency function generator include (a) a flashing red warning light to alert the operator when the unit is not in the proper test mode, (b) a digital code word display and voltmeter for monitoring the operation during a test run, and (c) two MONITOR connectors to use for recording the programmed output if desired.

A suggested front panel arrangement of the displays and controls is illustrated in Fig. 4.

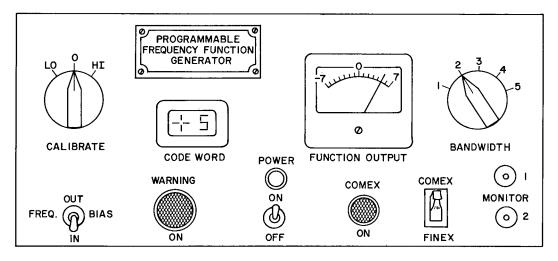


Fig. 4—Proposed panel layout for frequency function generator